

Radiation based Microscopy

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Outline

- conventional optical microscopy
- electron microscopy
- Near Field optical microscopy
- comparison with other “indirect” microscopies

Microscopy

- visual description of nature

object:

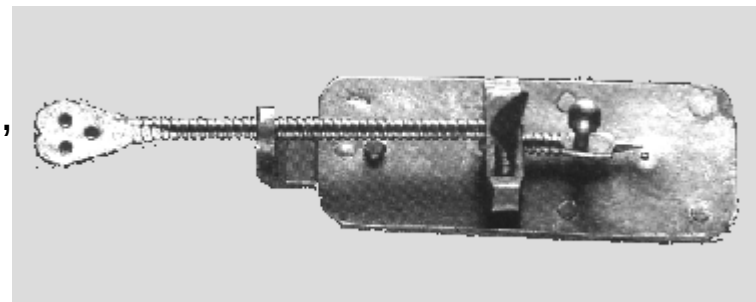
“At a microscope the surface of objects is seen, magnified and made clearer, yet do not think that you’re seeing their intimate essence”,

Feng-shen Yin-Te (1771-1810)

- applications:
- medicine, biology (cells, bacteria, virus, colloidal particles, ...)
 - geology (crystals, ...)
 - material science (phases, particles,
 - chemistry, physics (molecules, atoms, ...)

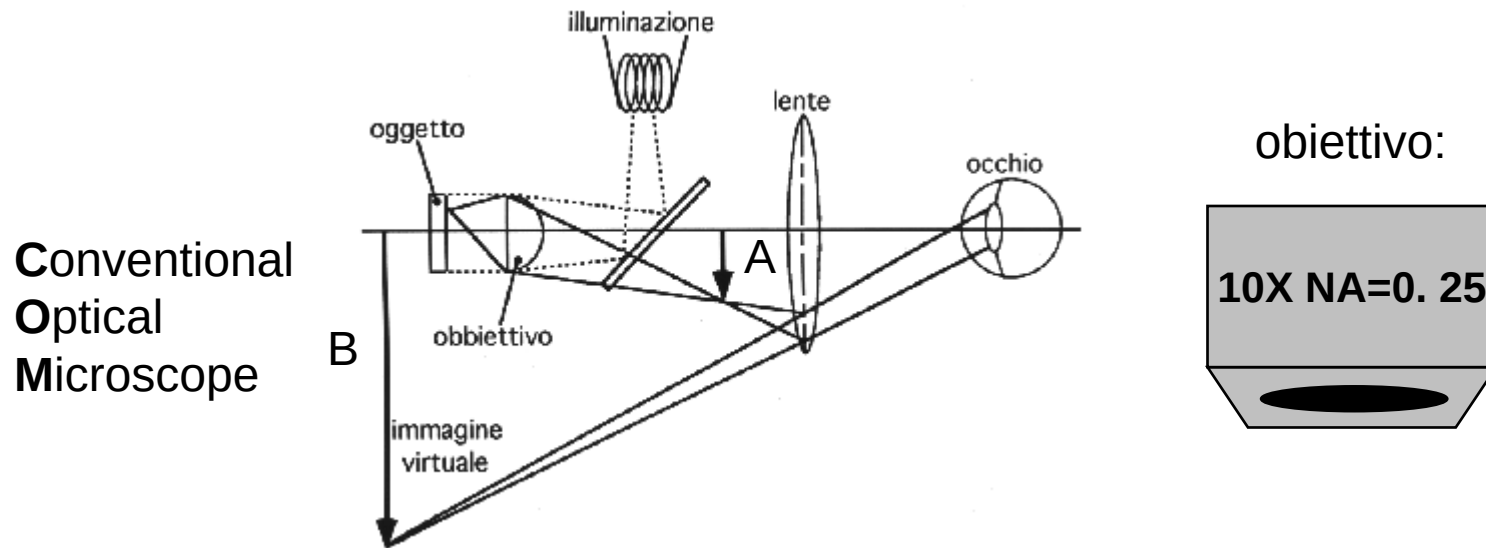
after the telescope (Galileo, early 1600),
Anton van Leeuwenhoek (~mid 1600):

- protozoa
- spermatozoa
- bacteria
- Red blood cells



optical “microscope”

“Power” of a microscope



- **magnification** (linear): $A \rightarrow B = M \times A$
- **resolution** (resolving power): capability to separately identify 2 different points (objects)
(human eye: 100-200 μm)
- **enhancing techniques:** Image Analysis & Processing

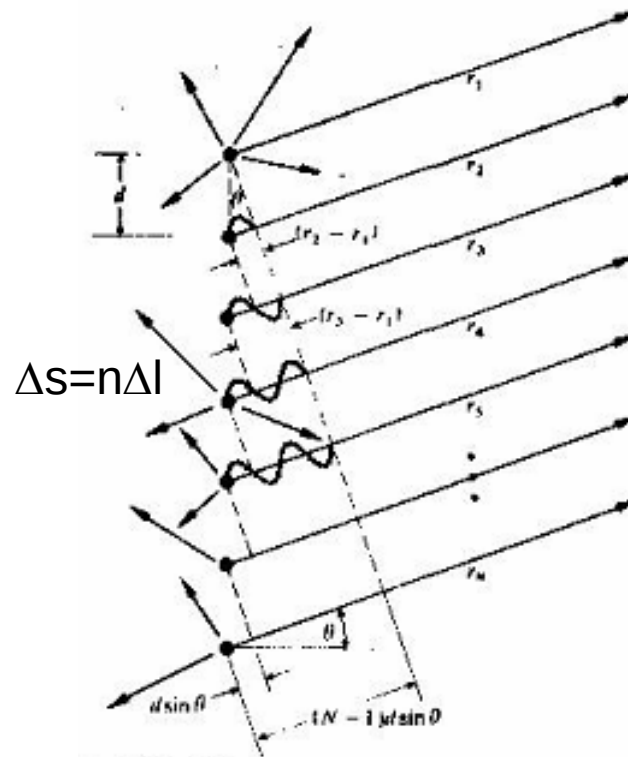
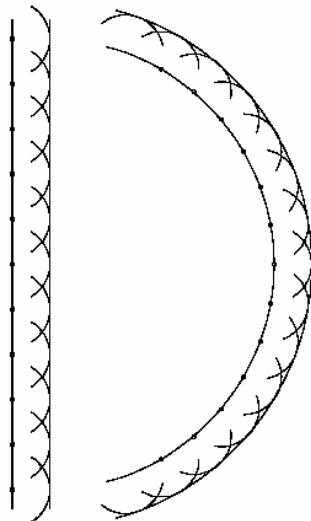
Diffraction and interference

Huygens principle:

hit scatterers

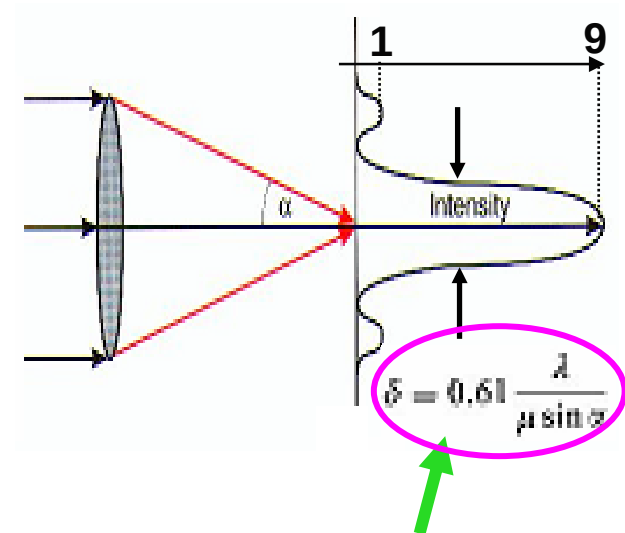
work as equal, independent sources

→ each wavefront = Σ array of wavelets



*i.e. identical in-phase coherent oscillators
(radiating antennas)*

**Airy function
profile**

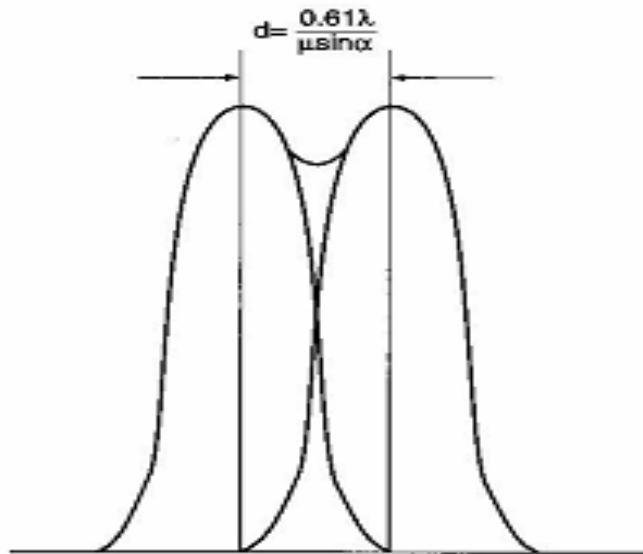
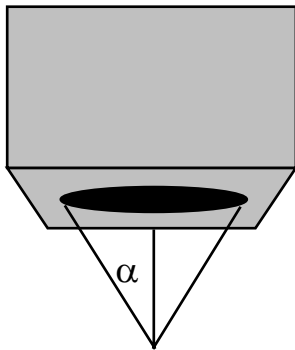


Abbe eq.

Rayleigh resolution limit

diffraction:

$$d_{min} = 0.61 \frac{\lambda}{NA}, \quad NA = n \sin \alpha$$



N.B.,

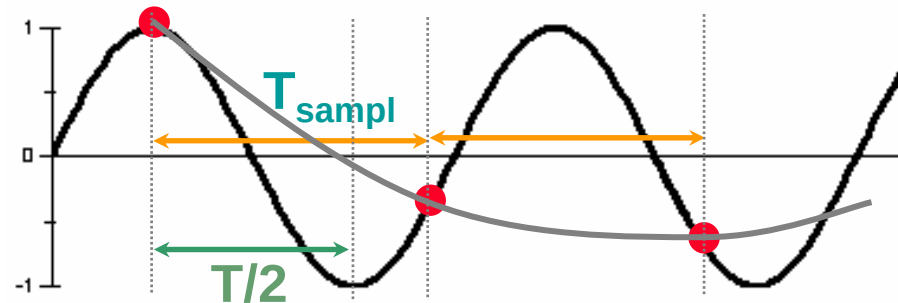
resolution :

- **undefined for an isolated object**
- **$\neq$ magnification M**

Resolution limit: wave nature of light

Nyquist sampling theorem:

~ need at least 2 data points
(i.e. 1 max & 1 min) per 1 period (wavelength)
to map an oscillating signal (light wave)
without aliasing



(based on Fourier transform theory)

look out : ***aliasing*** gives ***pseudo-resolution*** !

Resolution limit: particle nature of light

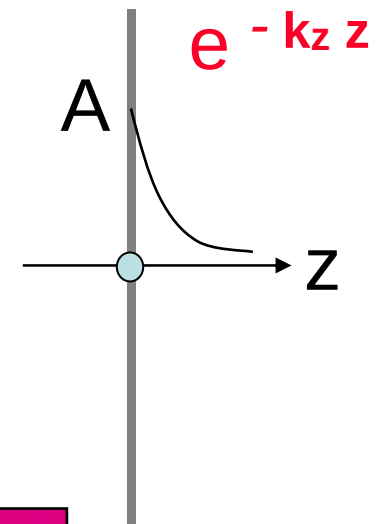
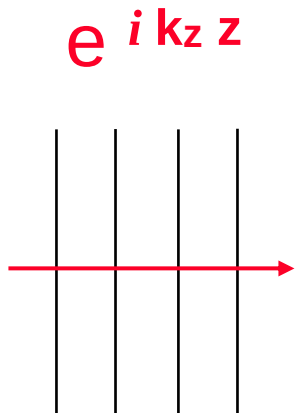
Heisenberg principle :

$$\Delta x \Delta k_x, \Delta y \Delta k_y, \Delta z \Delta k_z > \hbar$$

if $\Delta x, \Delta y < \lambda$, $\Delta k_x, \Delta k_y$ large

invariance of $k^2 = k_x^2 + k_y^2 + k_z^2$

$$\Rightarrow k_z^2 < 0, \quad k_z = i |k_z|$$



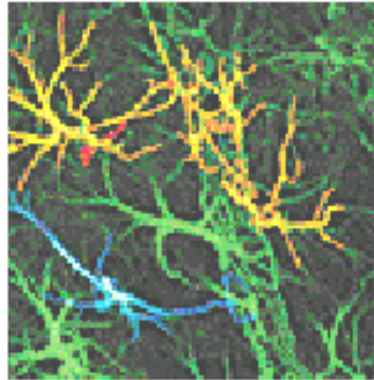
→ Evanescent field :
spatial frequencies $> 1/\lambda$
decay exponentially with distance

Sensitivity of a microscope

- necessary for resolution
- not sufficient !

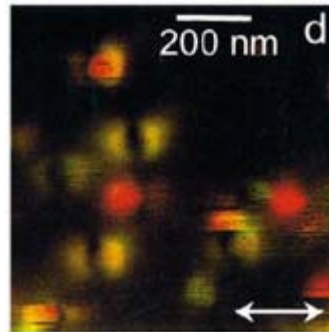
e.g.: **fluorescence microscopy** :

fluorescent molecule dyes
(F or Cr based *fluorochromes*)
chemically stick
(due to pH, Ca^{2+} , Mg^{2+} ,
hydrophobic/philic...)
to objects of interest
and label them...



rabbit nerve cells

down to “**molecular detection**”! ...



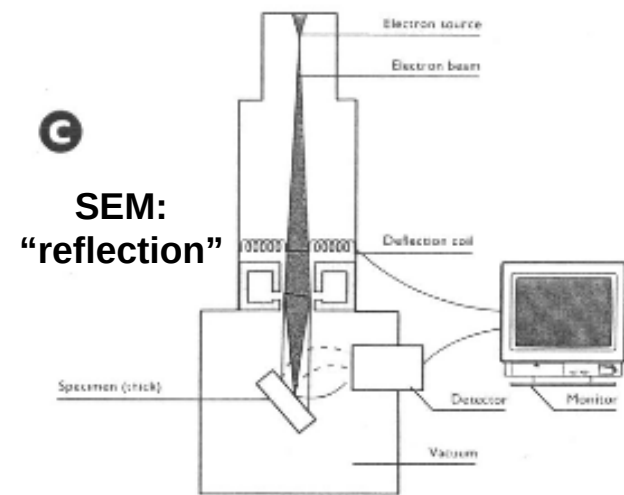
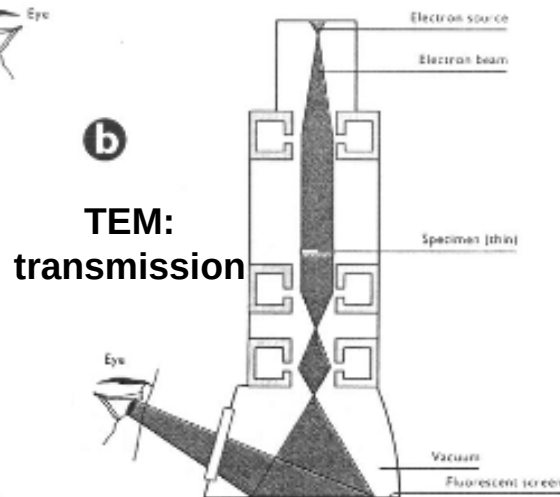
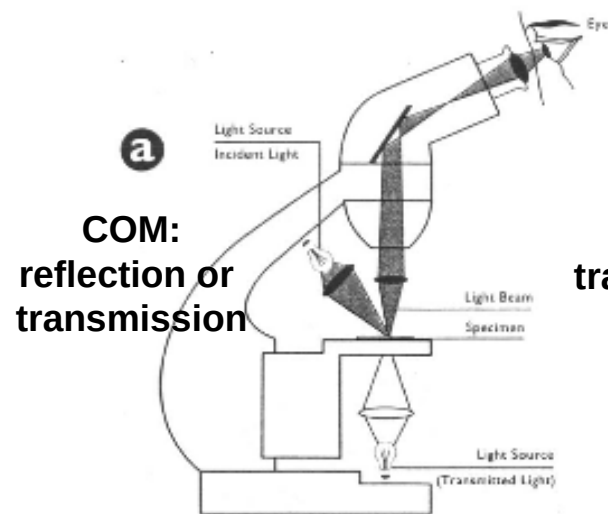
van Hulst
JCP 18, 7799 '00

diC18 molecule spots
(with polarized light)

.... but this does not mean “**molecular resolution**”

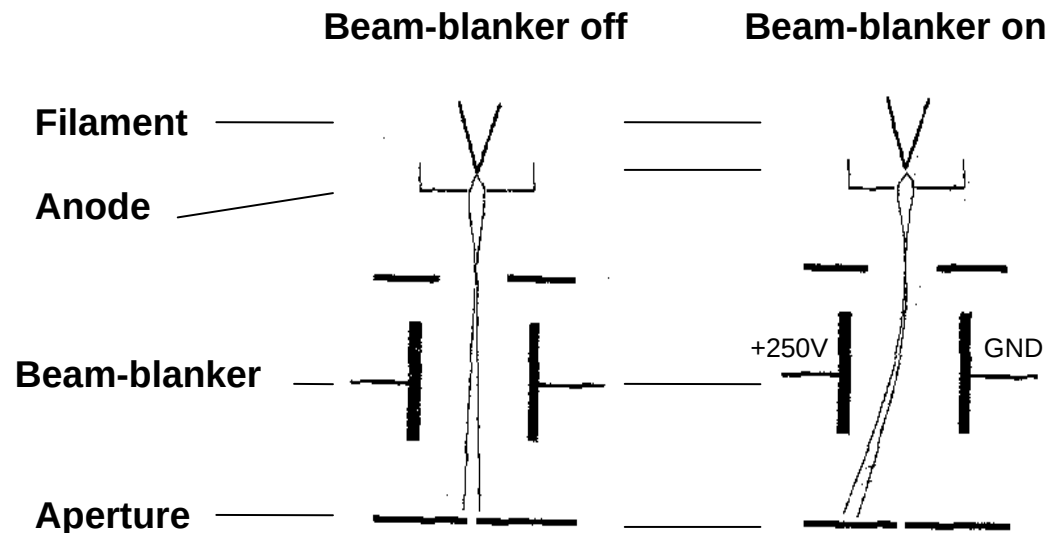
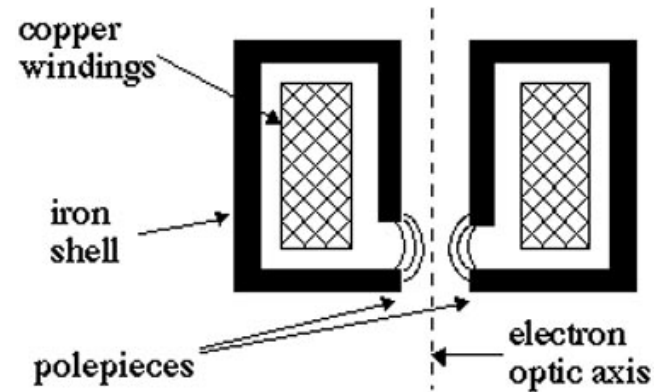
birth of Electron Microscopy

- Thomson 1897: discovery of the e^-
- De Broglie 1924: $\lambda = h/p$
- Bush 1926: **E, B** axial fields:
slow for charged particles
- Ernst Ruska 1934: TEM
(commercial: 1939, Siemens & Halske)
- Knoll-Von Ardenne 1935-38: TEM + scan coils
- Zworykin-Hillier-Snyder '40s SEM
- Oatley '50s-'60s
(commercial: 1965, Cambridge Instruments)

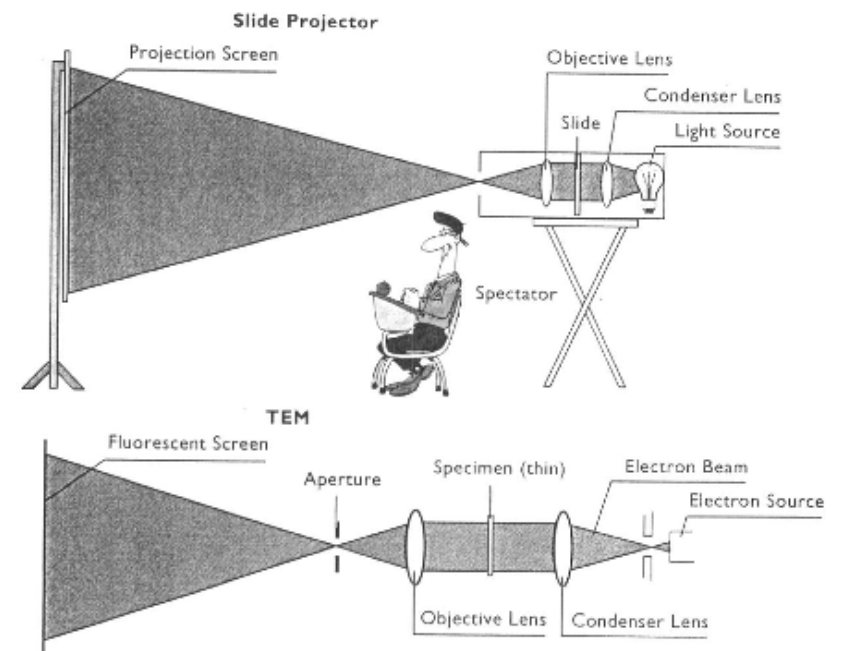
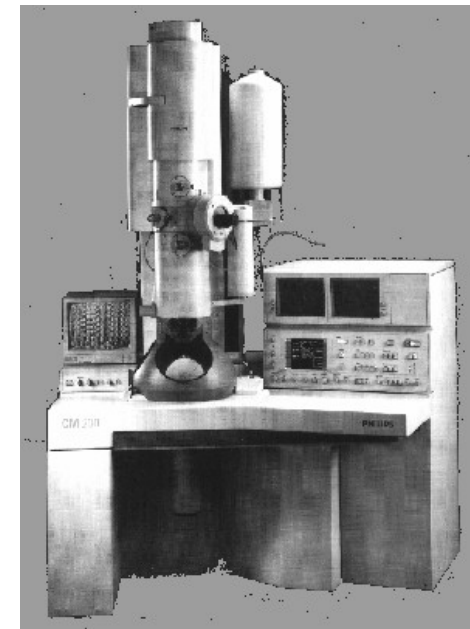
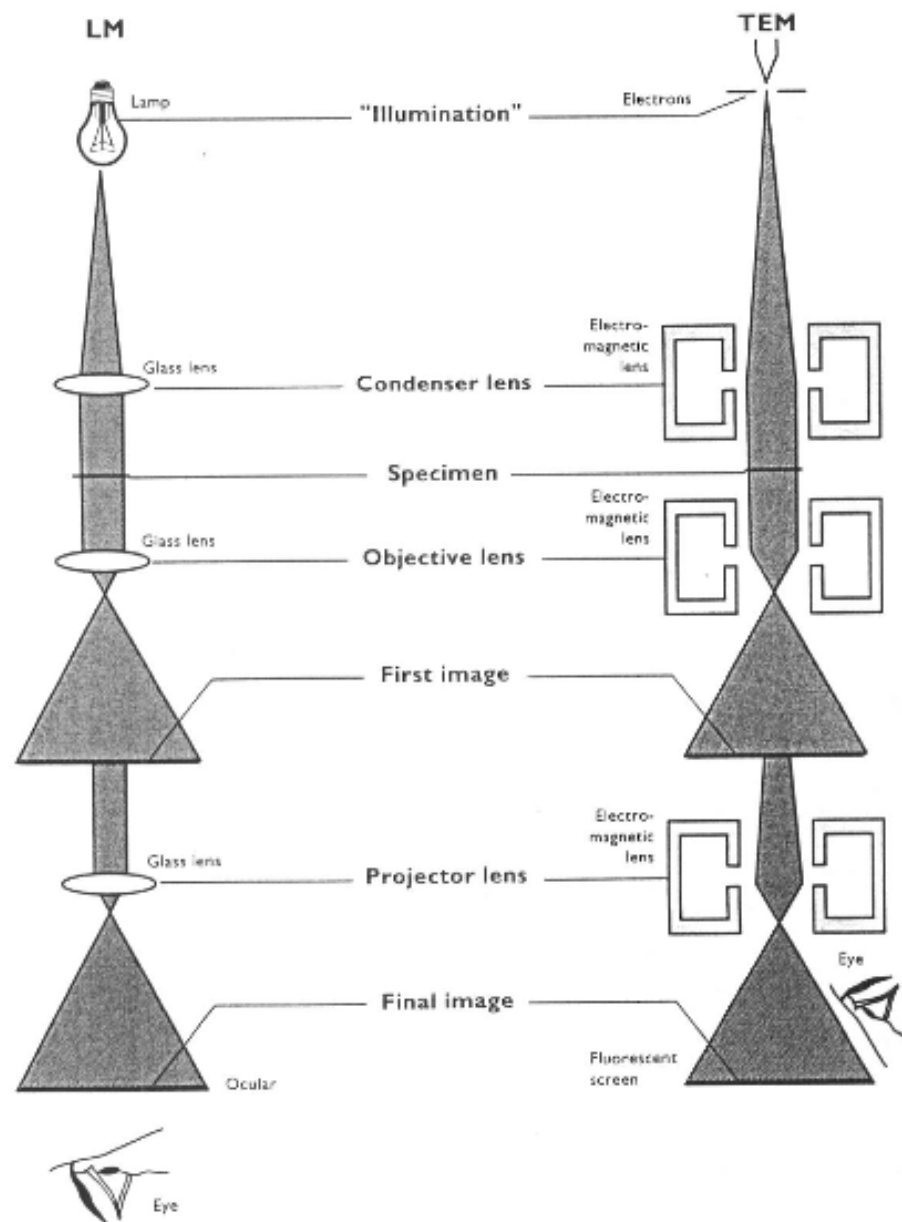


intermediate column components

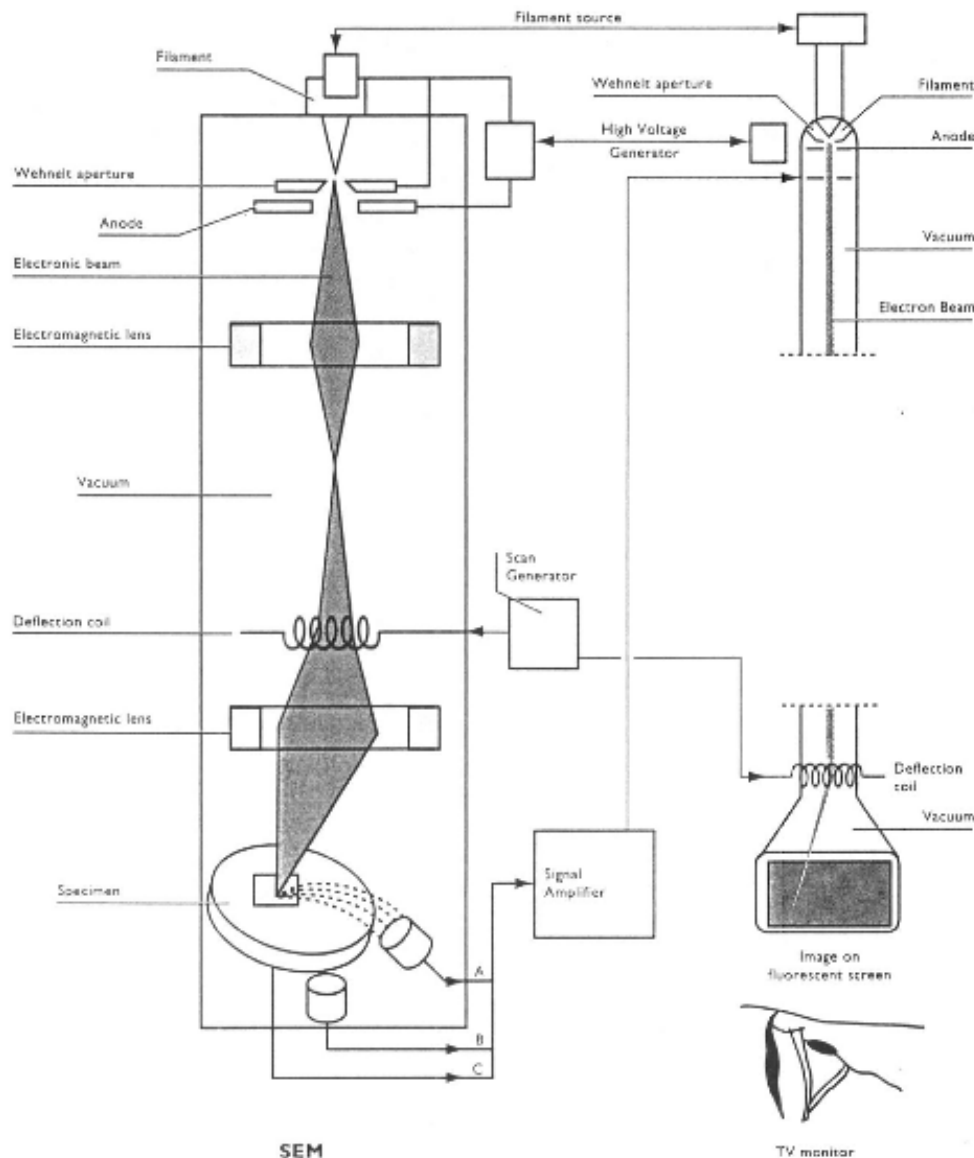
- (*e source*)
- 2 or more **em lenses**
(focusing)
- beam **blanker**
(deflection: on/off stopper)
- stigmator
- apertures
(alignment)
- (*detector*)



TEM



SEM



- + easy to use/understand (optical image quality)
- + no thin specimens
- + high resolution, high field depth, analytical capability ~ TEM, at lower price: 200-500 k€
→ > 20'000 SEM installed worldwide, +1 / day
- slow

Why higher resolution?

$$\lambda_{\text{DeBroglie}} = h / p$$

Planck constant:
 $h = 6.63 \cdot 10^{-34} \text{ Js}$

- tennis ball: $M \sim 100 \text{ g}$, $v \sim 100 \text{ km/h} \rightarrow \lambda_M \sim 2 \cdot 10^{-24} \text{ \AA}$
 $\sim$ continuous (non-oscillating) wave
- e^- : $m_e \sim 9 \cdot 10^{-31} \text{ kg}$, $v \sim 1/3 c \rightarrow \lambda_e \sim 0.02 \text{ \AA} \sim 10^{22} \lambda_M$, "observable"

		$\lambda(E)$ [nm, eV]
$E_\gamma = h\nu = hc/\lambda_\gamma \rightarrow$	γ	$1240 / E$
$E_e = p_e^2 / 2m_e = h^2 / 2m_e \lambda_e^{-2} \rightarrow$	e	$1.23 / \sqrt{E}$

i.e. electrons – vs – photons
 $\rightarrow$ "softer" diffraction limit

- but:
- possible radiation damage
 - controlled potential (i.e. conductive) samples required
 - UHV environment required

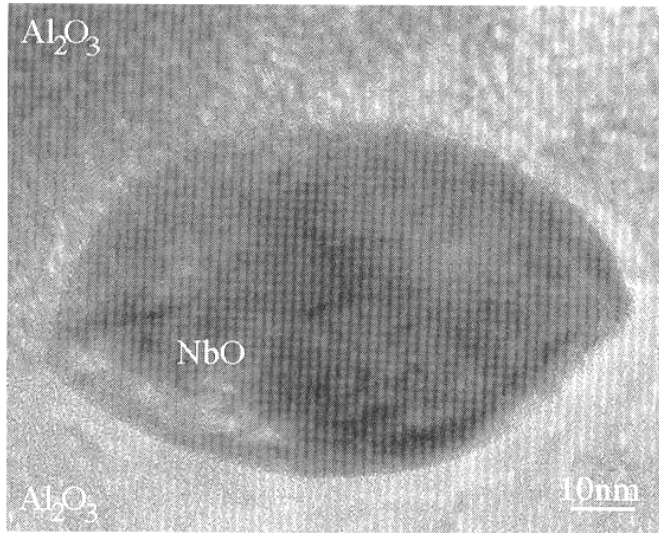


Figure 4.53 Transmission electron micrograph of a NbO particle located at a grain boundary in polycrystalline alumina. Phase contrast (lattice fringes) and mass-thickness contrast vary from the alumina grain to the NbO grain

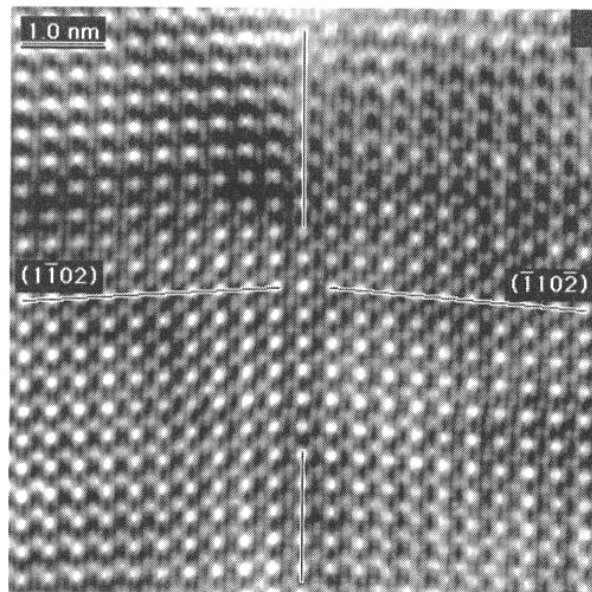


Figure 4.54 Lattice image of a rhombohedral twin in alumina

examples of **HR-TEM**:

$E \geq 100$ kV

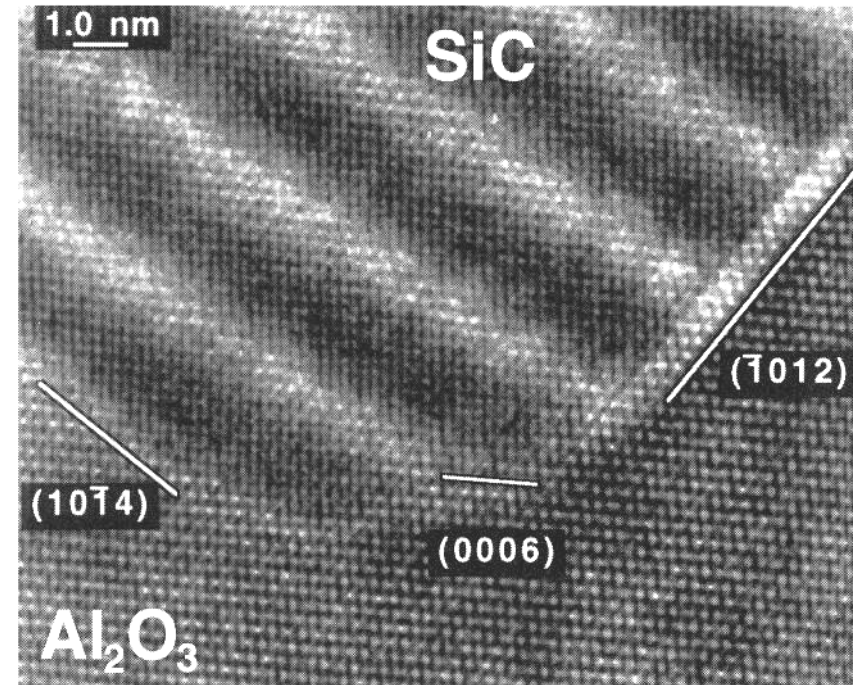


Figure 4.55 Lattice image of a SiC particle located within an alumina grain. The alumina lies along a low-index-zone axis, and is the source of the lattice image. A moiré pattern appears within the SiC particle due to overlap between the alumina and SiC (in the direction of the electron beam)

extremely detailed informations
about thin crystalline samples
(after interpretation of data and for
flat sample slices only)

More electron microscopes...

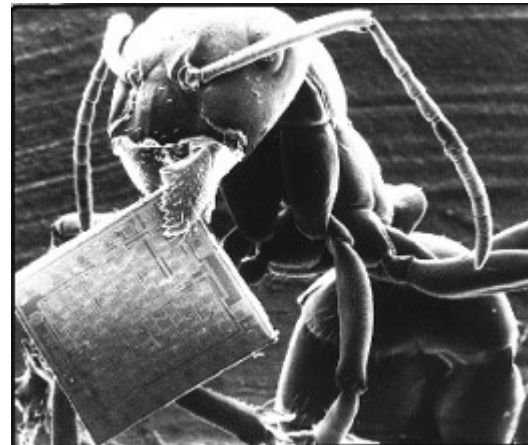
STEM ...

- in 1991 true atomic resolution:
1.4 Angstrom
- today almost all TEM are STEM

... ESEM

- 1988 ElectroScan (USA)
→ Philips → FEI

T=0 °C, P=6.5-13 mbar, RH up to 100%

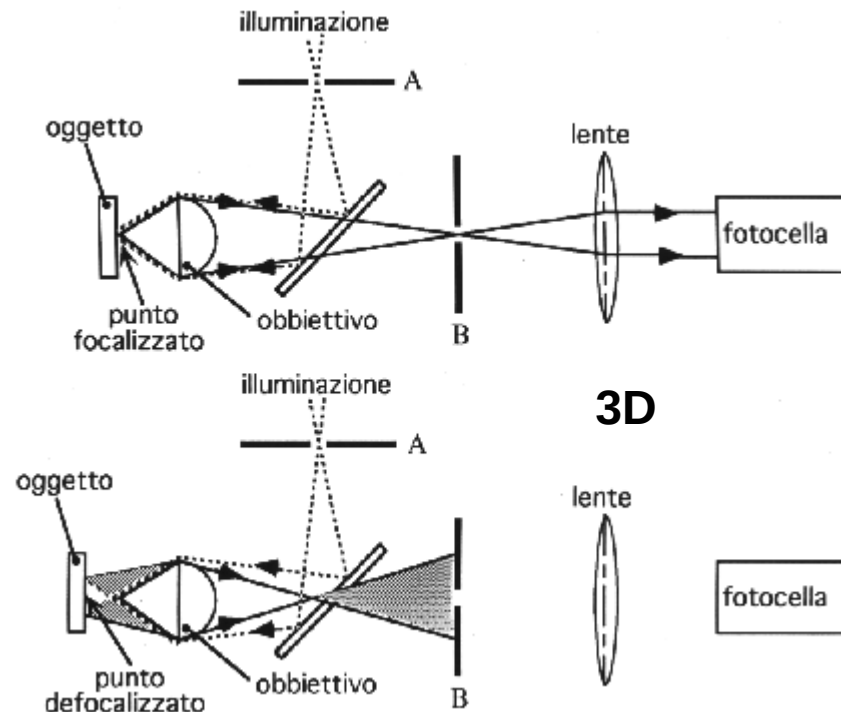


samples can be: - biologic (i.e. soft, dirty, degassing)
- insulators (water vapor ions drain charge away)

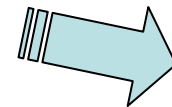
Scan-enhanced optical microscopy

CSOM (Marvin Minsky patent, 1957)

Confocal Scanning Optical Microscope



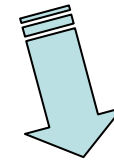
- artificial image reconstruction
- simultaneous focalization required through 2 pinholes
- optical resolution improved, particularly axial
- SPM: not true 3-D (+ perturbative)



CLSM (or LSCM)

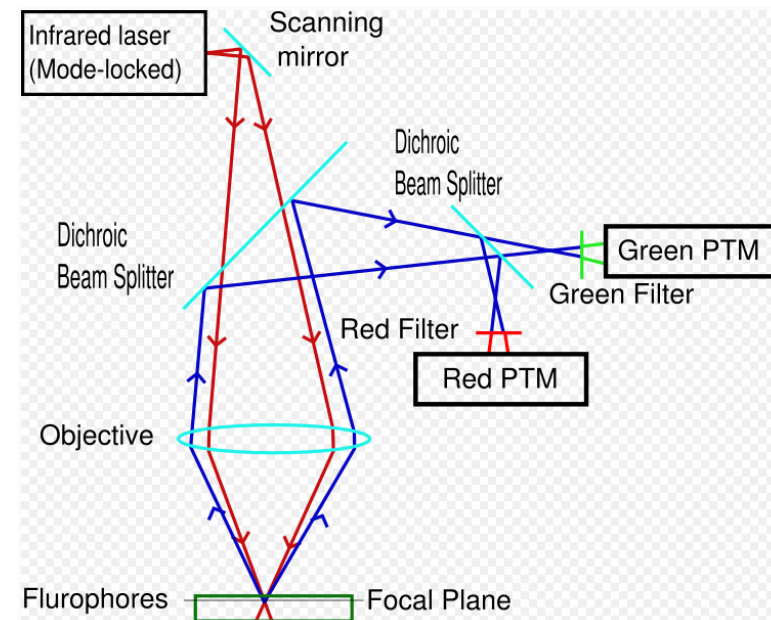
Confocal Laser Scanning Microscopy

- for fluorescence detection



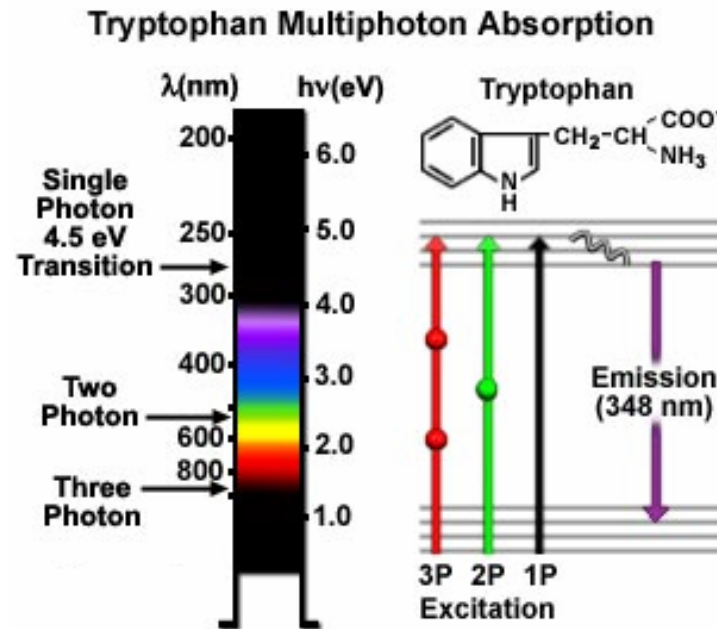
TPE

Two Photon Excitation

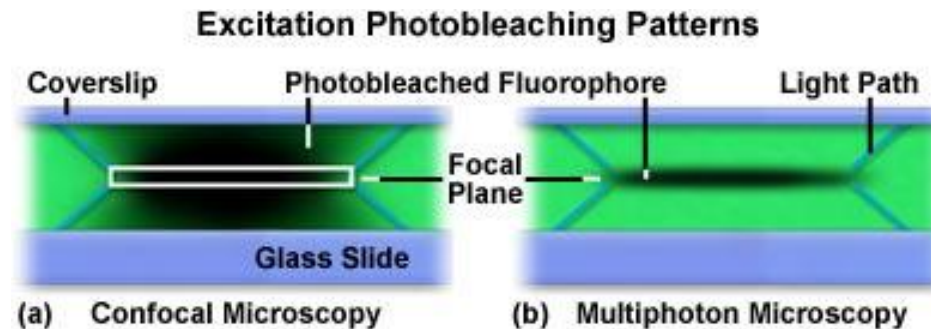


Two (or Multi) Photon Excitation

- + not a real confocal (no pinhole) yet intrinsic confocal-like effect
→ reduced photobleaching
- + infrared exciting photons: lower damage to biological sample



- needs hi excitation photon flux for near-simultaneous 2-photon emission
→ expensive pulsed laser e.g. fs Ti:sapphire



SEM electron source

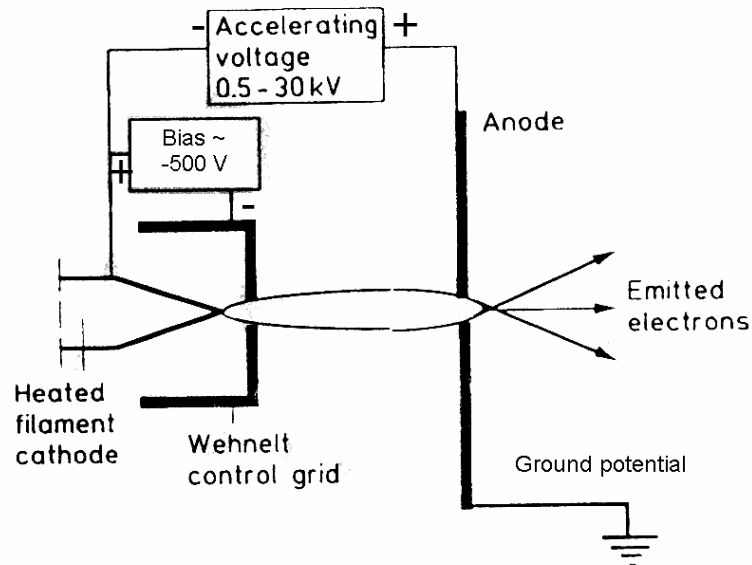
- column → **gun (e source)** + e path “cylinder”
- console (control hw – sw)

~10⁻⁷ mbar

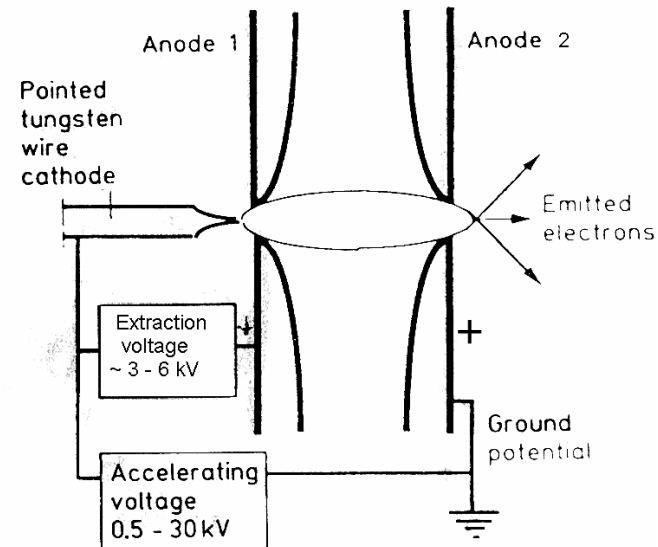
gun types

~10⁻⁹ mbar

(a) Thermionic emitter



(b) Field emitter



Richardson law:

$$J \propto T^2 \exp(-e\phi / kT)$$

$$\phi_W = 4.5 \text{ V}$$

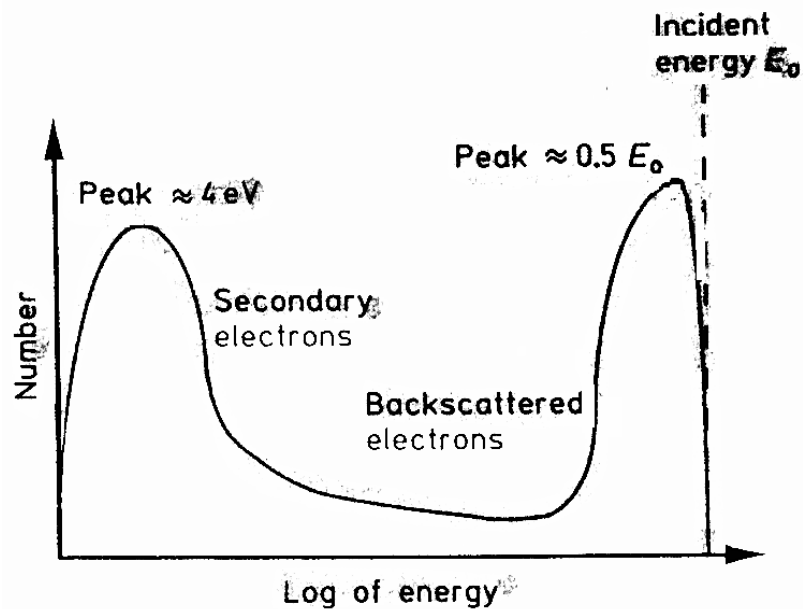
$$\phi_{\text{LaB}_6} = 2.6 \text{ V}$$

	filament	
	life (hrs)	cost(€)
W	~ 100	~ 50
LaB ₆	~1000	~ 1000
FEG	>~2000	~ 4000

“FEG”:

- operated at RT
- e tunnel out of the cold filament
- very sharp and clean

electron-solid interactions

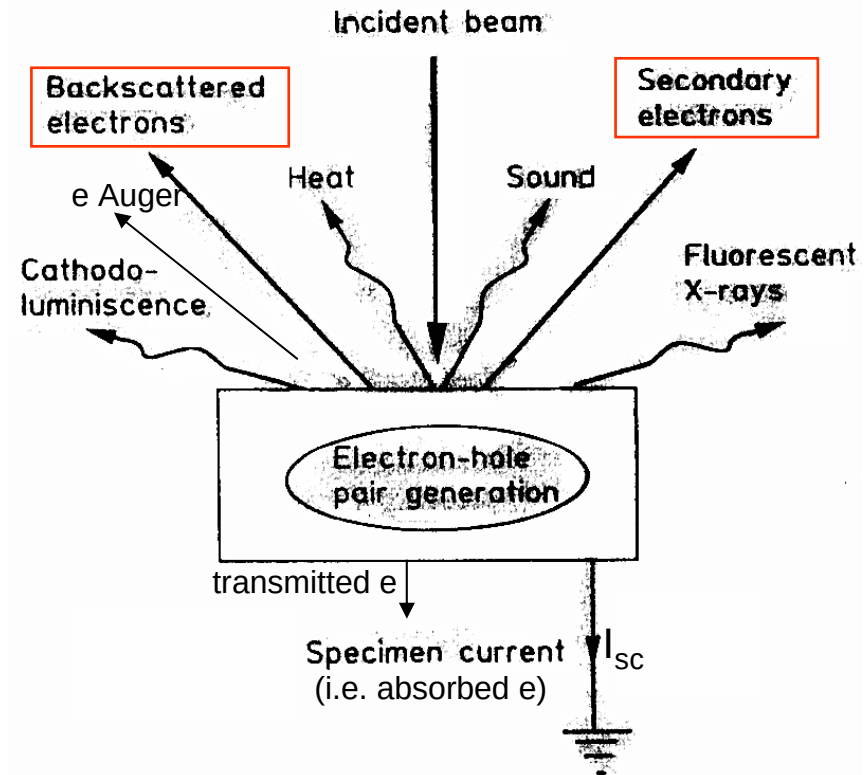


$$0 = I_{\text{tot}} = -I_b + \delta I_b + \eta I_b + I_{\text{sc}}$$

$$\rightarrow I_{\text{sc}} = (1 - \delta - \eta) I_b$$

= 0 (for insulating samples) at $E = E_2$

material	E_2 (keV)
resist	0.6
amorphous C	0.8
teflon	1.9
quartz	3.0
alumina	3.5

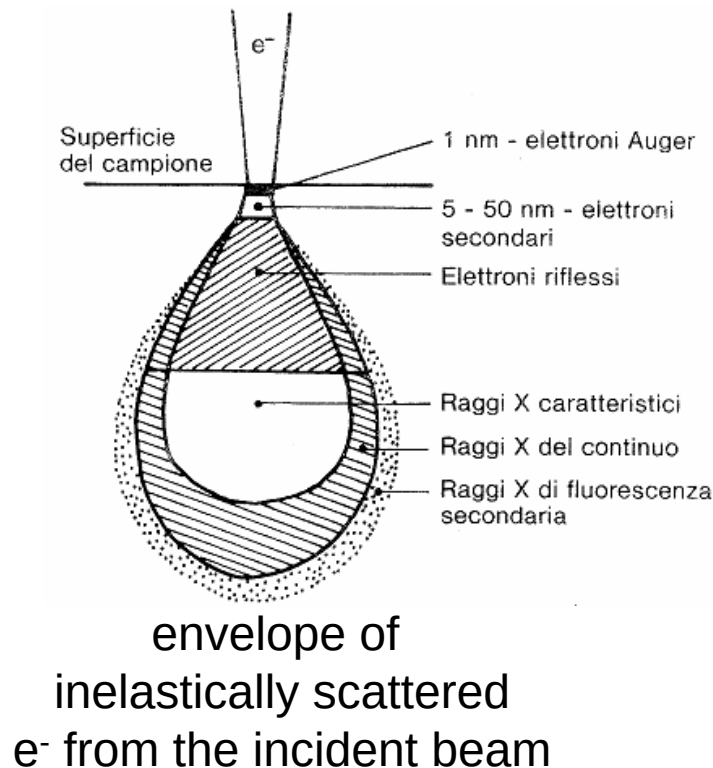


$$\text{BSE yield } \eta = n_{\text{BSE}} / n_{\text{incid}} = 0.2 - 0.4$$

$$\text{SE yield } \delta = n_{\text{SE}} / n_{\text{incid}} = 0.1 \text{ at } 30 \text{ keV}$$

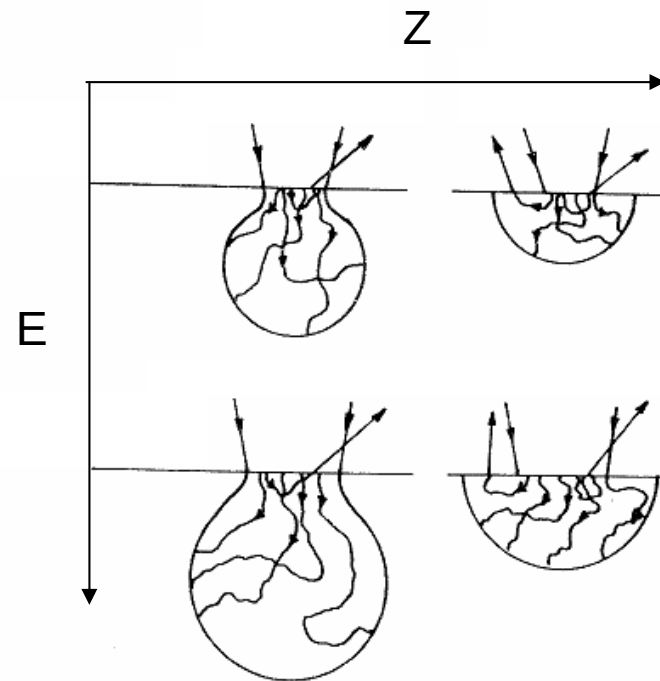
$$< \sim 1 \text{ at } 1 - 2 \text{ keV}$$

Interaction zone



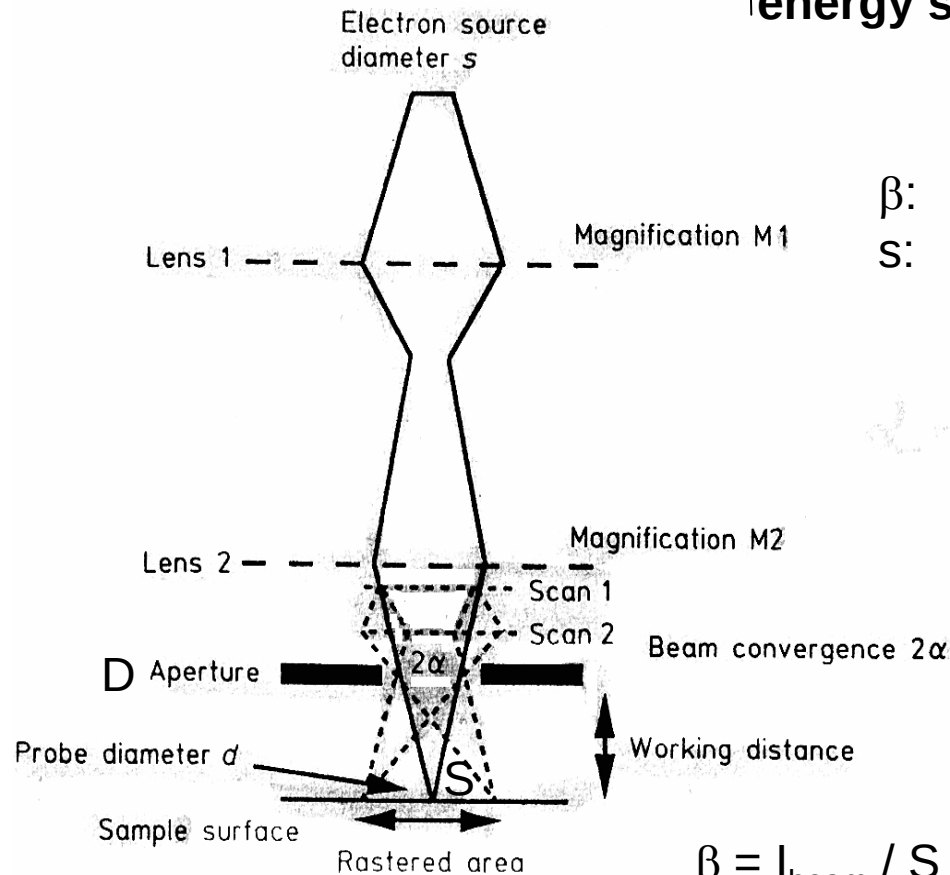
- at the boundary $E \sim kT$
- as the path length in the sample increases, $\langle E \rangle$ decreases and E spread ΔE increases

- from deeper regions than SE
→ lower resolution
- BSE :
- low collection efficiency ($< 5\%$)
 - strong direction memory
→ shadows



Source performance parameters

size
 e source brightness: $\beta = J / \Omega$ (A / m² sterad) $\beta \propto V_0$
 energy spread



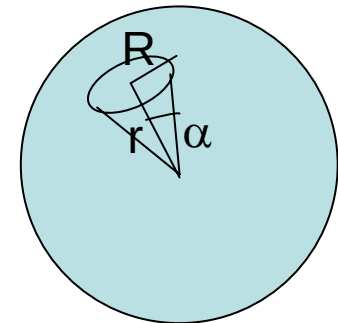
	W	→	LaB ₆	→	W FEG
β:	3÷10x		10÷100x		
s:	20÷50 μ				10 nm

$$d = s M_1 M_2$$

$$\alpha \sim \tan \alpha \sim (D/2) / WD$$

$$\Omega = 4\pi R^2 / r^2,$$

$$R/r = \tan \alpha \sim \alpha \rightarrow$$



$$\beta = I_{\text{beam}} / S \quad \Omega = I_{\text{beam}} / \pi (d/2)^2 4\pi \alpha^2 \rightarrow I_{\text{beam}} = \pi^2 \beta \alpha^2 d^2$$

limits to resolution:

- sensitivity
- aberration

“Aberrations”

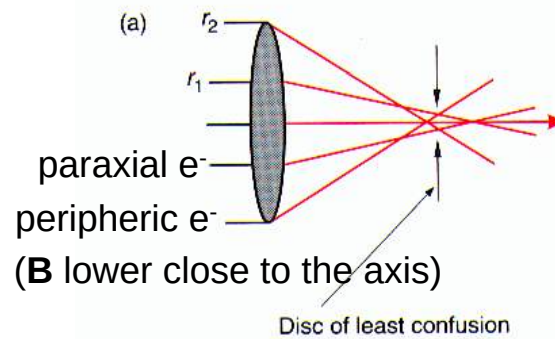
→ effective probe size: $d^2 \rightarrow d'^2 = d^2 + \sum_i d_i^2$

diffraction:
(source)

Airy disc diameter

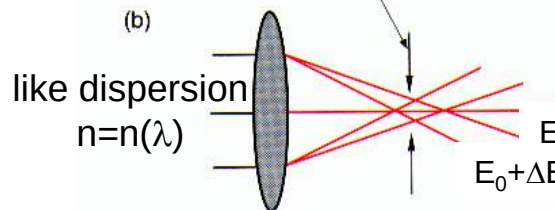
$$d_{\text{diffr}} = 1.22 \lambda / \alpha$$

spherical aberration:
(lenses)



$$d_{\text{spher}} = \frac{C_{\text{spher}} \alpha^3}{2}$$

chromatic aberration:
(source)



$$d_{\text{chrom}} = C_{\text{chrom}} \alpha \frac{\Delta E_{\text{tot}}}{E_0}$$

Figure 4.4 Spherical (a) and chromatic aberration (b) prevent a parallel beam from being brought to a point focus. Instead, a disc of least confusion is formed in the focal plane

astigmatism:
(somewhat controlled)

Brandon-Kaplan
Microstruct. Charact. of Materials
Wiley (1999)

consequences on imaging properties

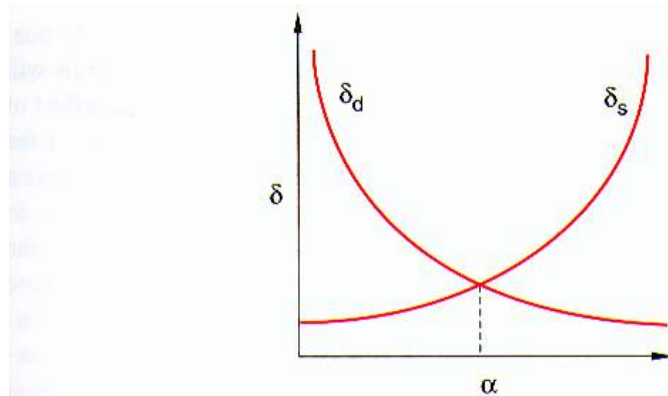
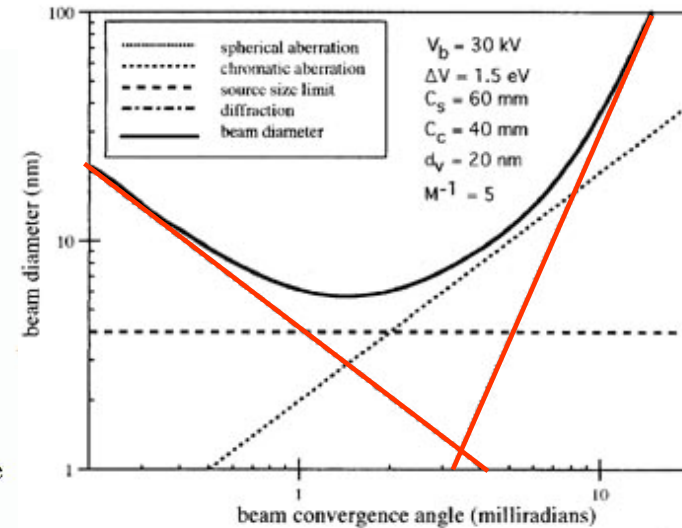
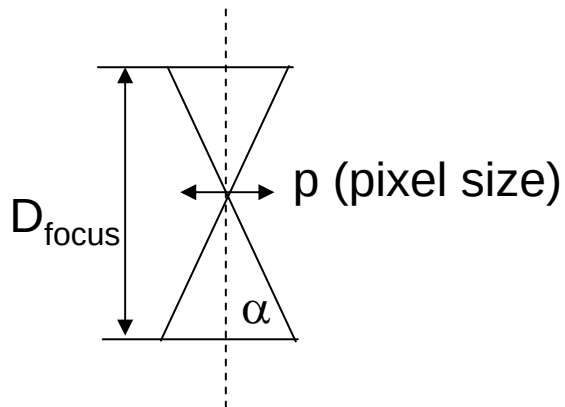


Figure 4.5 The diffraction and the spherical aberration limits on resolution have an opposite dependence on the angular aperture of the objective, so that an optimum value of α exists

$$0 = \partial(d'^2) \rightarrow d'^2 \text{ is min for } \alpha = \left(\frac{d}{C_{spher}} \right)^{1/3} = 1-10 \text{ mrad}$$

i.e. **need very low aperture** (in optics: α up to 1!)

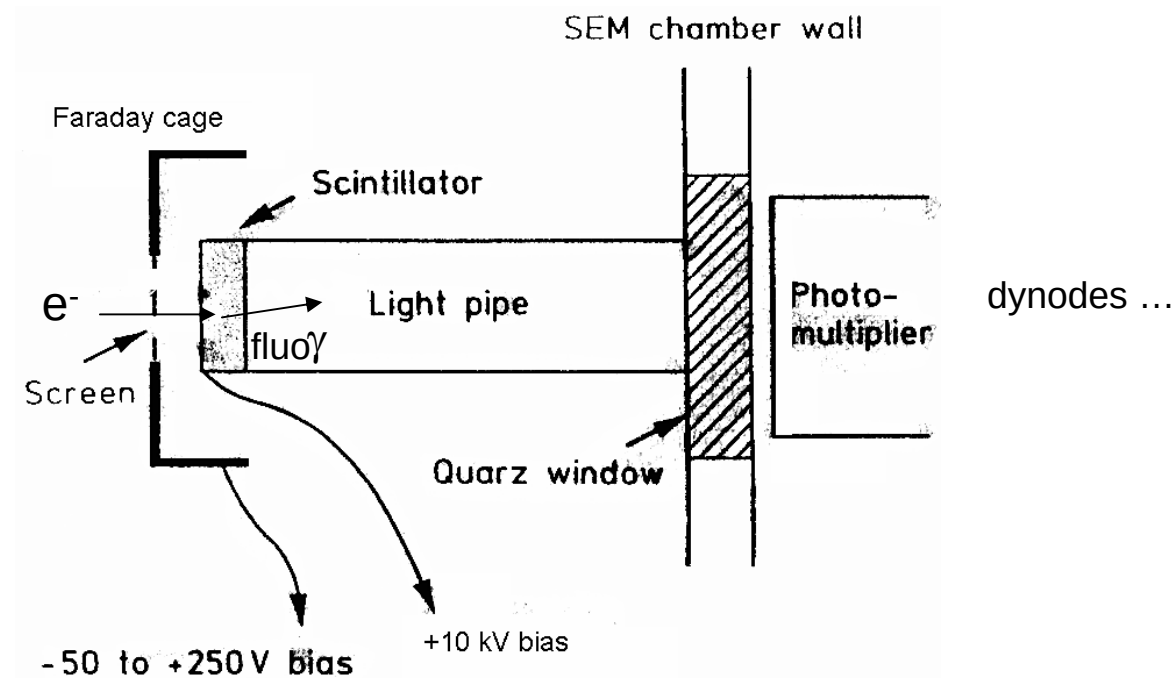


$$\alpha \approx \tan \alpha = \frac{p}{D_{\text{focus}}} \rightarrow D_{\text{focus}} = \frac{p}{\alpha} = 100-1000 \text{ p} = 1-10 \text{ mm if } 1 \text{ cm} \leftrightarrow 1000 \text{ p}$$

i.e. **get very hi focus depth (3D effect)**

SE detection

SE weak → easy to collect at low detector bias

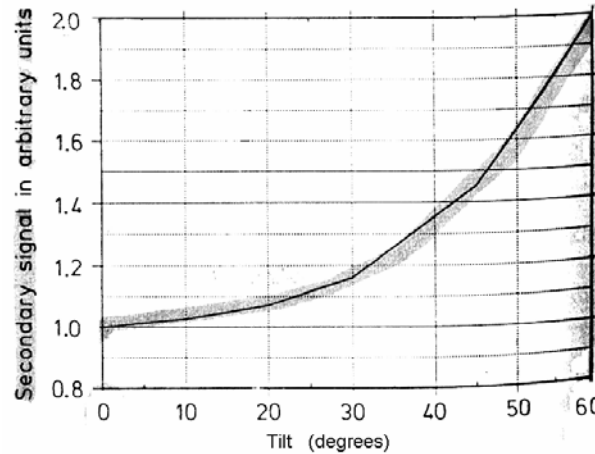


annular ring (in-lens) **Everhart-Thornley** detector

- hi inner bias accelerate e^- after entrance
- Faraday cage screens the beam

SE imaging

topographic contrast
dominant one
~90% micrographs



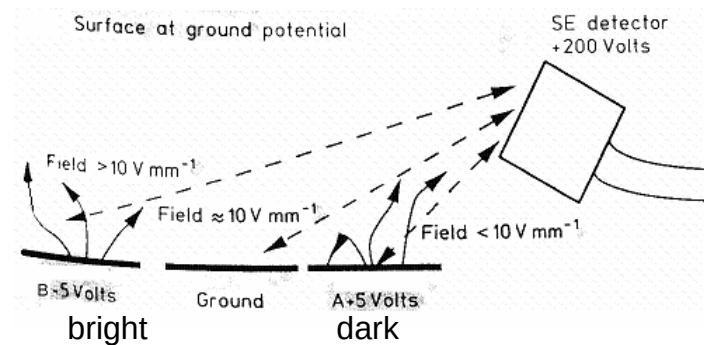
Lambert law

$$I_{\text{opt}}(\theta) = I_{\text{opt}}(0) \cos\theta$$

reciprocity principle

$$I_{\text{opt}}(0) = I_{\text{opt}}(\theta) \cos\theta$$

voltage contrast



$$I_{\text{SE}}(\theta) = I_{\text{SE}}(0) \sec\theta$$

magnetic contrast

surface domains → $F = -e/c \mathbf{v} \times \mathbf{B}$
at free surface
inward (darker)
or backward (brighter)

BSE imaging

Z contrast
dominant one

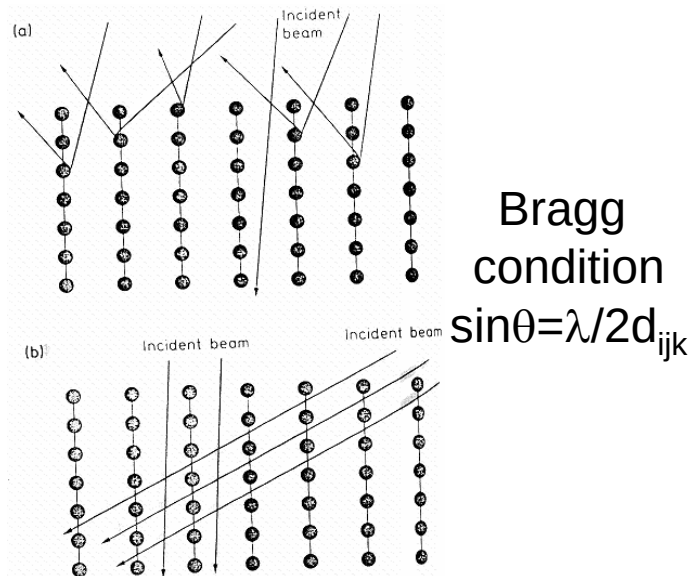
escape depth $R_{BS} \propto (A/Z^{0.9}) (E^{1.7}/\rho)$

for $E > 5$ keV $\eta \sim -0.025 + 0.016 Z$

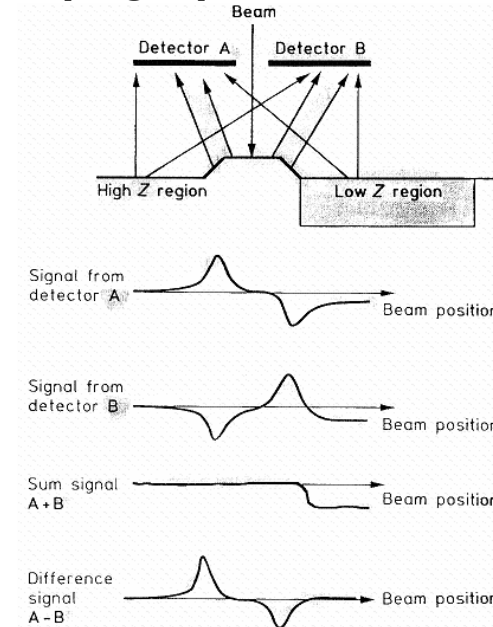
	Z	η
C	6	0.05
Au	79	0.5

Electron Channeling Pattern

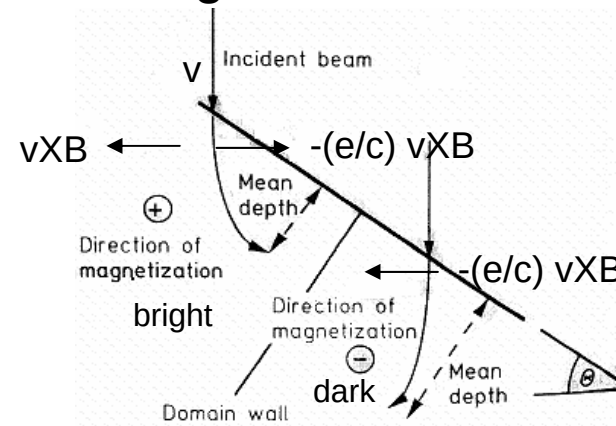
for large
single
crystals



topographic “contrast”



magnetic contrast



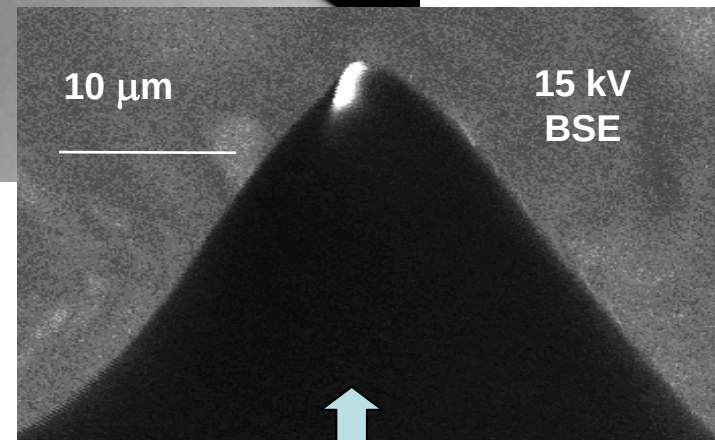
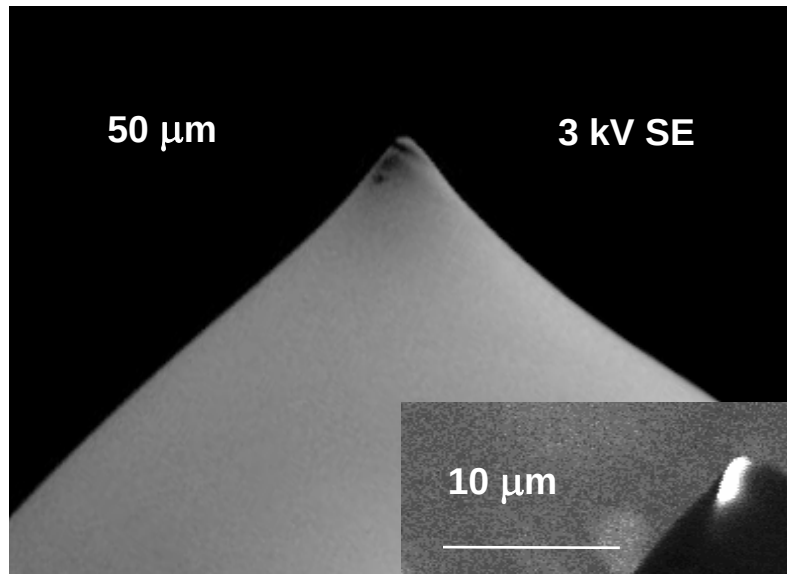
e.g.: SEM of EC-STM tips

standard insulating coatings [$A_{\text{free}} < (10 \mu\text{m})^2$]:

- poliacrylics
- epoxy
- **Apiezon wax**



*Tip coating
device assembly*



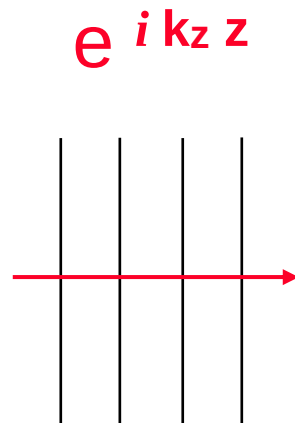
*Apiezon wax coated Au tip.
The very tip (several μm)
remains uncoated.*

Hole at the bottom of Optics

~750  ~400
 $\lambda_{\text{vis}} / \text{nm}$

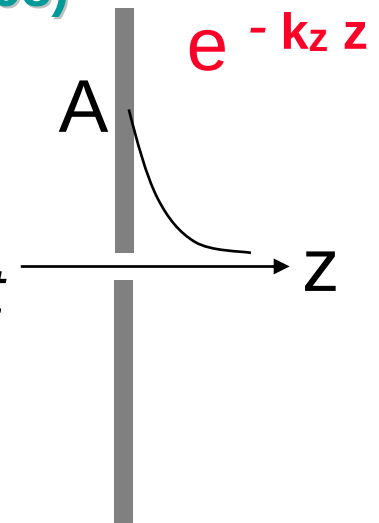
and below λ_{vis} , e.g. transmission of a 150 nm $\varnothing$ pinhole ?

EXTRAORDINARY! Ebbesen *et al*,
Nature 391, 667 (1998)



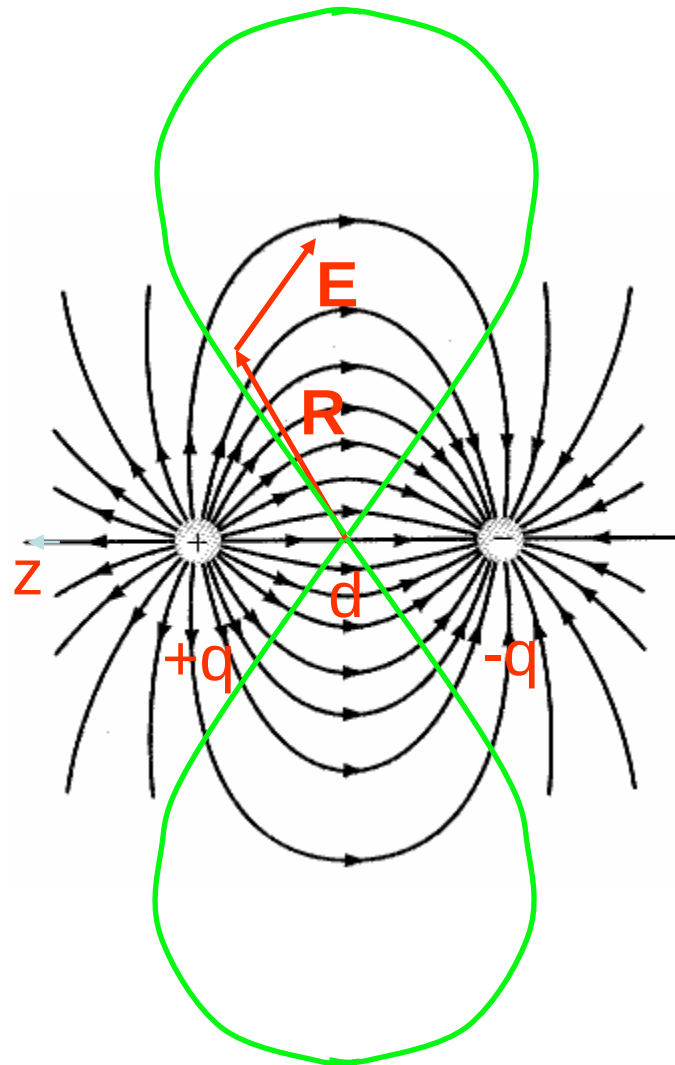
→ **Near Field Optics :**

*“... involving the passage of light to, from, through, or near an element with **subwavelength** sized **features**, and coupling to another element at **subwavelength distance**.”*



NFO laws can be quite different from the FFO ones

NF - vs - FF example: electric dipole



FF radiation pattern
profile ($\sim \cos^2\theta$)

$$p=qd$$

$$E_R = 2 \left[\frac{p \cos \theta}{R^3} \right] (1 + i k R) e^{i k R}$$

$$E_\theta = \left[\frac{p \sin \theta}{R^3} \right] [1 + i k R - (k R)^2] e^{i k R}$$

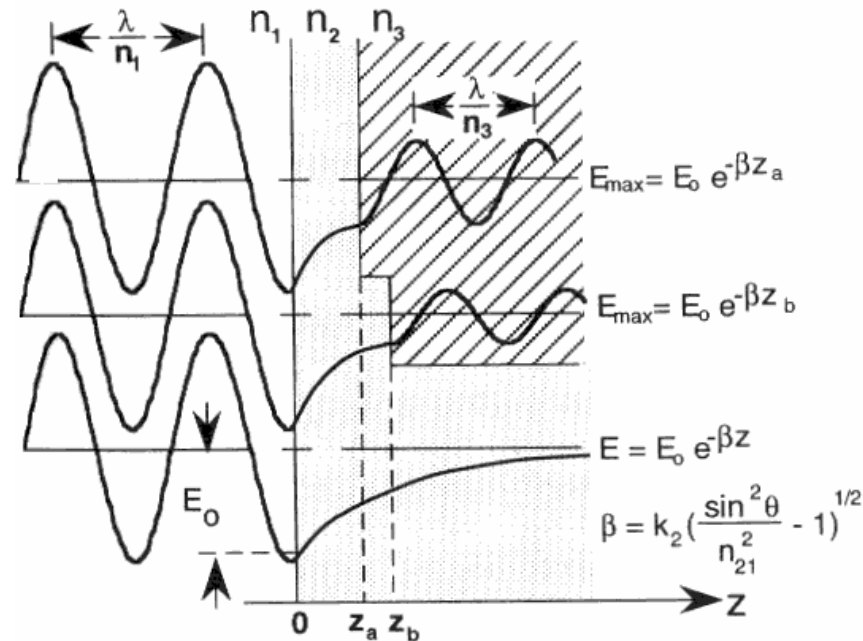
$$H_\phi = \left[\frac{p \sin \theta}{R^3} \right] [i k R - (k R)^2] e^{i k R}$$

→ NF ($kR < 1$) :

- *changes more rapidly than FF*
- *stronger where FF vanishes*

($\vec{k}$ light wavevector, $k = \omega/c = 2\pi/\lambda$)

Photon tunneling

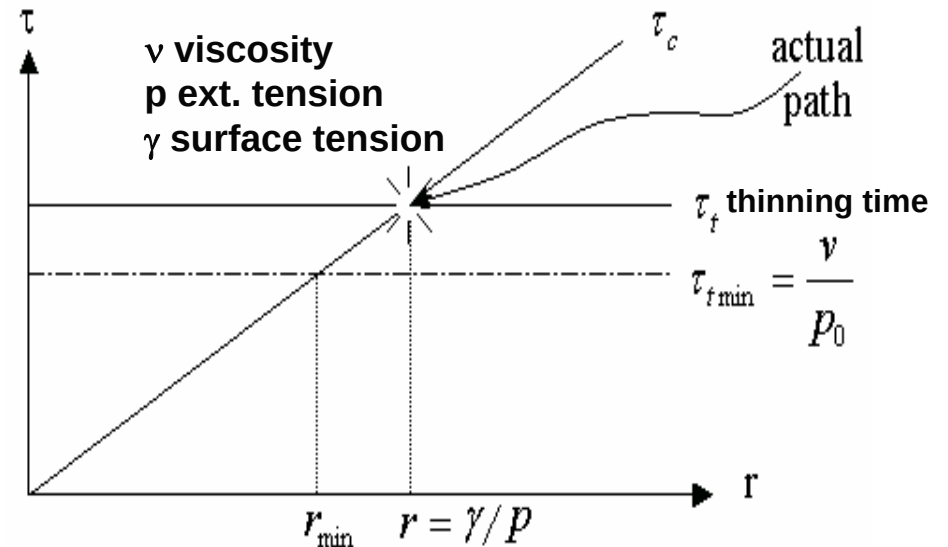
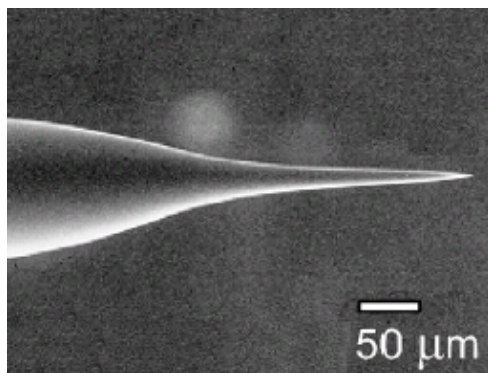
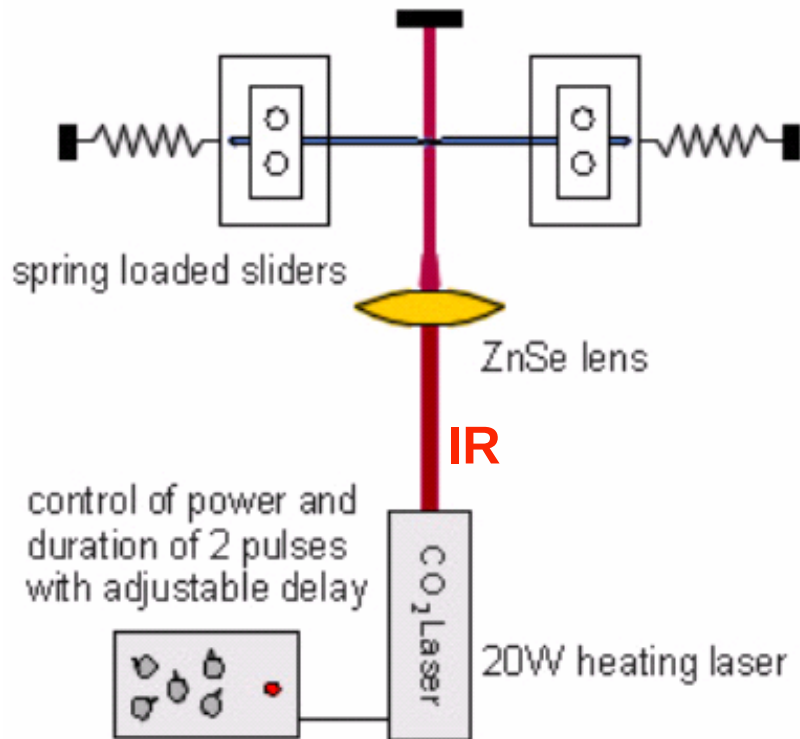


Fresnel formulas
for refraction
at the interface
between 2 media

→ Near Field Optical Microscopy :

- 1928 : Synge's idea (lacking tech for tiny holes and scan)
- 1972 : first μ -wave experiments by Ash and Nichols
- 1984 : birth of SNOM with first visible imaging
at Dieter Pohl lab in Zurich

Fiber tip formation by Heat and Pull

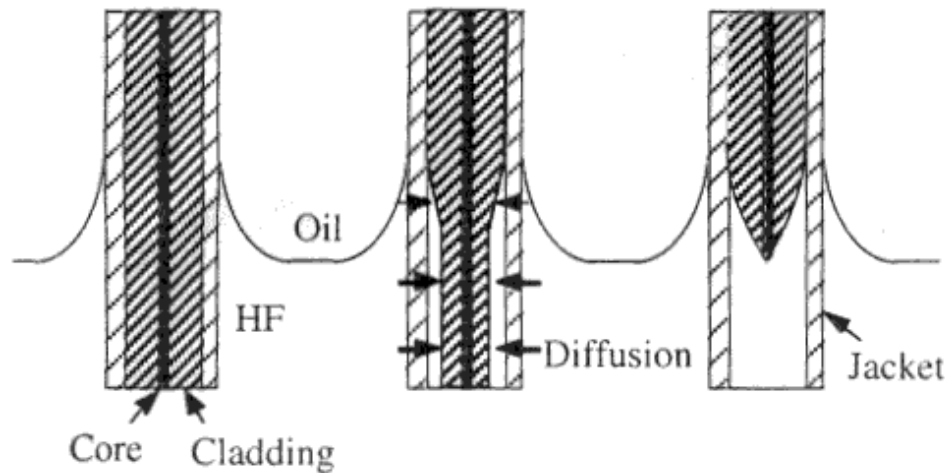


thinning: $\frac{dr}{dt} = -\frac{pr}{v} \Rightarrow r = r_i e^{-\frac{t}{\tau_t}}, \tau_t = \frac{v}{p}$

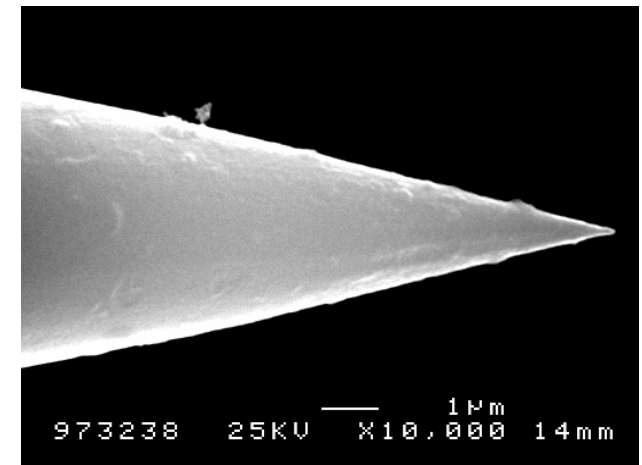
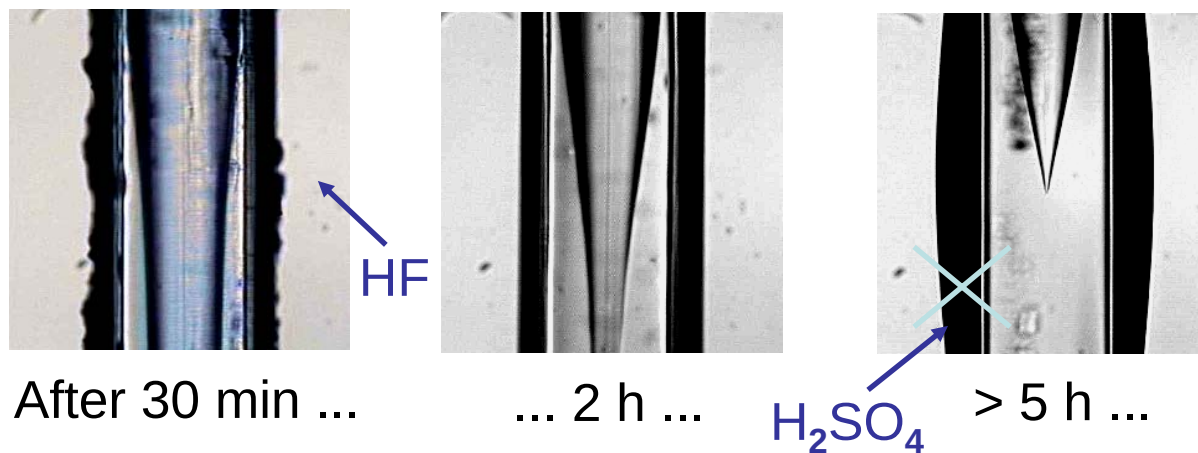
capillary instability: $\tau_c = \frac{vr}{\gamma}$

- + very smooth taper surface
- very low throughput ($\sim 10^{-7}$)
due to long taper (i.e. small angle $2\alpha \sim 10^\circ$)

Fiber tip formation by Tube Etching



- + ease of manufacturing
- + typical etching large cone angle
- + smooth taper surface compared to standard etching
- + self-limiting process
- off-center (off core?) apex
- HF vapor attacks fiber holder above

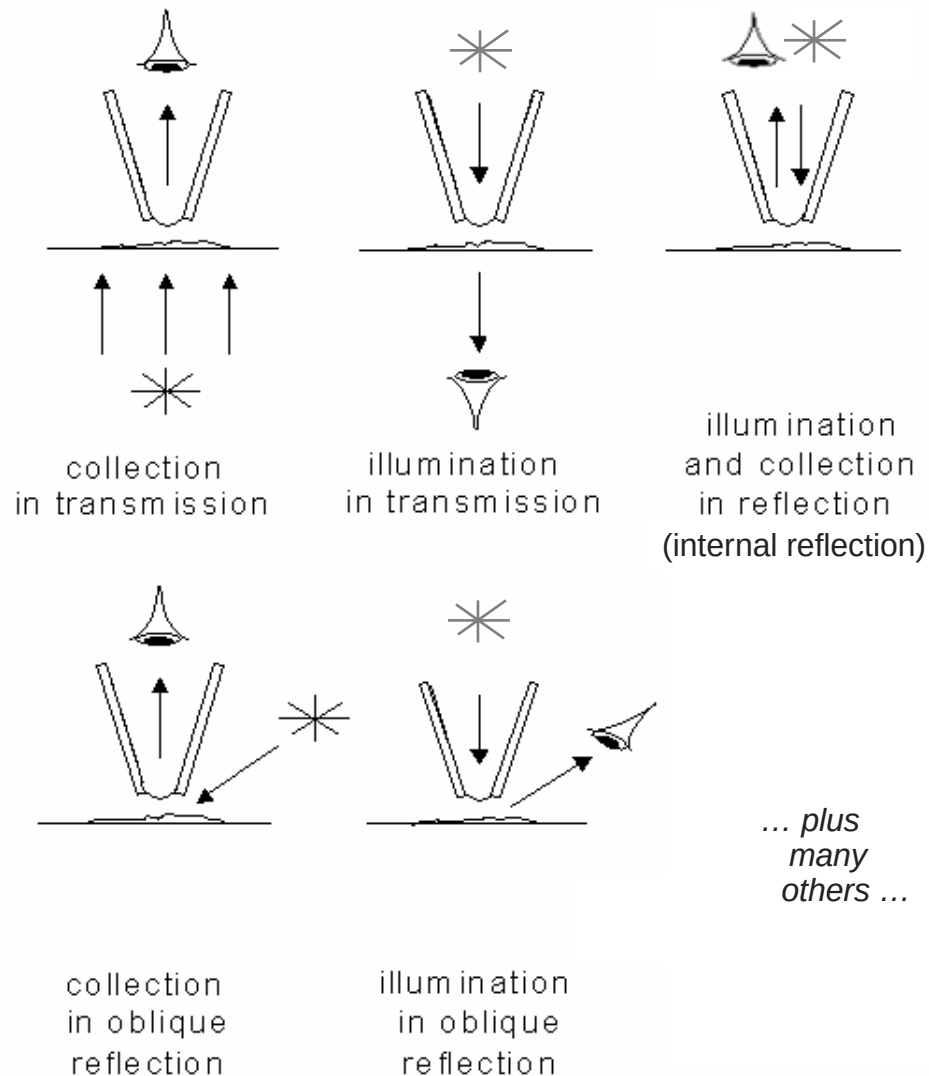


apex radius ~ 50 nm,
cone angle $\sim 26^\circ$

NFO Microscopy setups 1/2

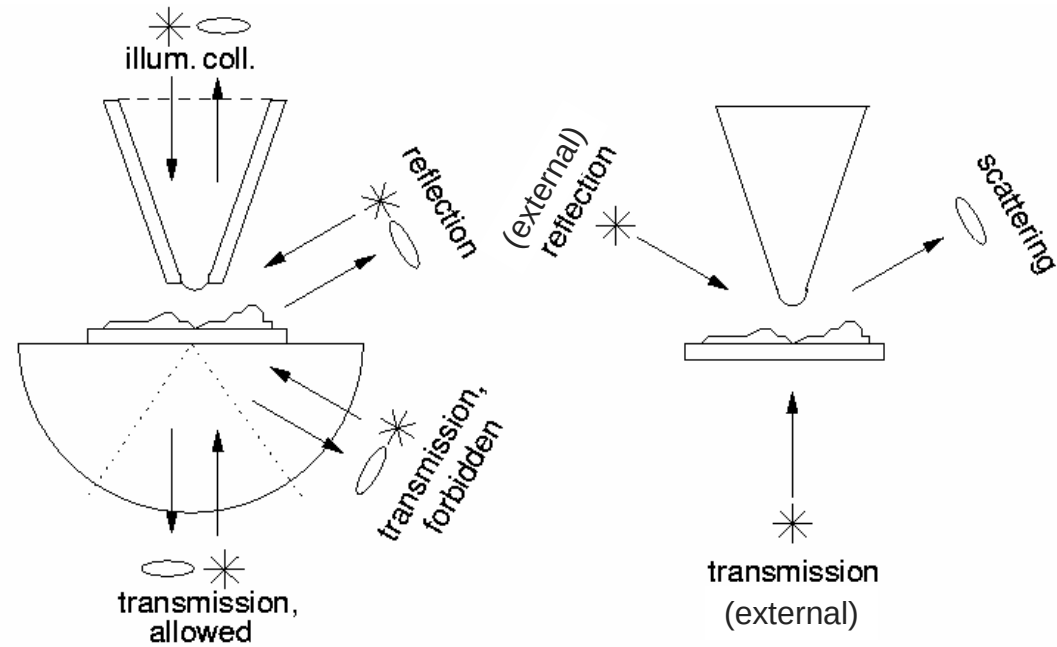
according to the
“geometry”...

- position of the components
- direction of light

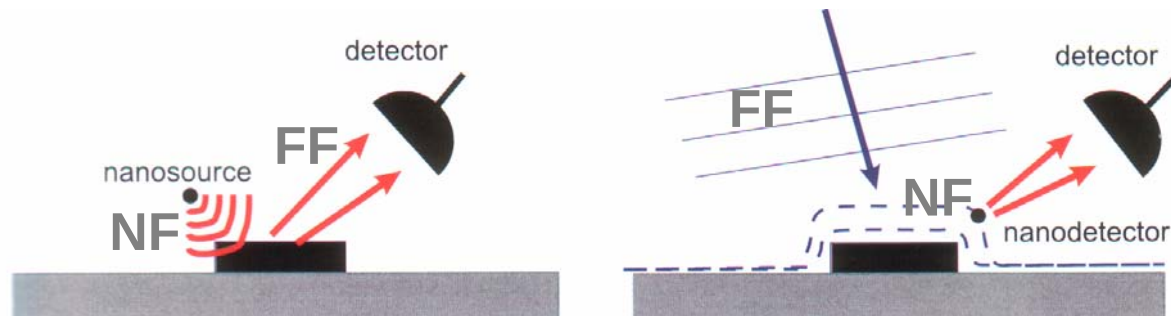


NFO Microscopy setups 2/2

...according to
the "physics"



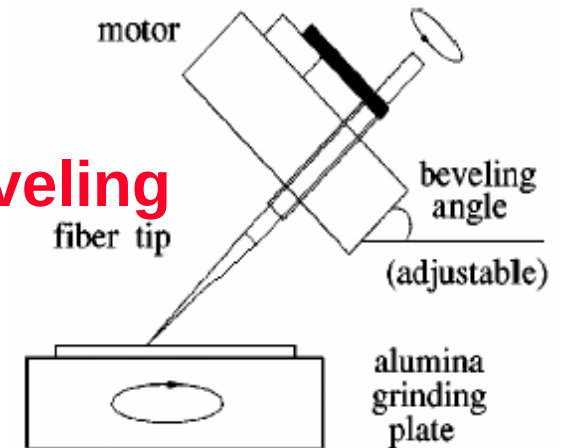
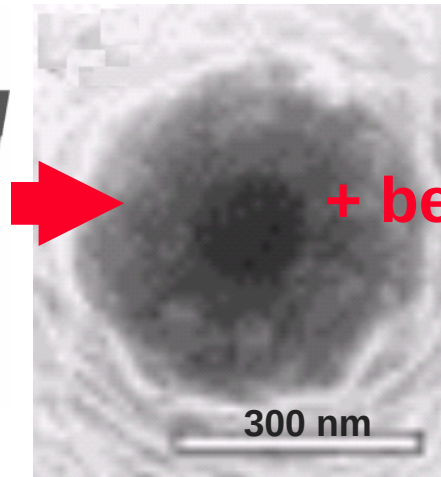
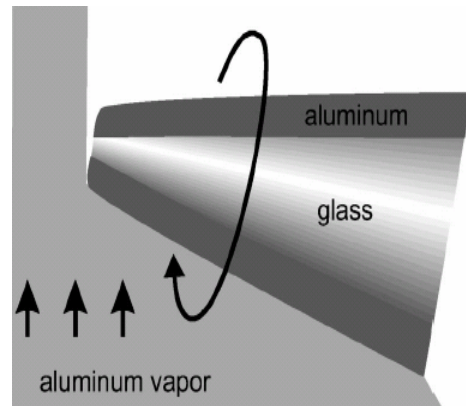
- Aperture type (SNOM or a-SNOM)
- Apertureless type (scattering or al-SNOM)



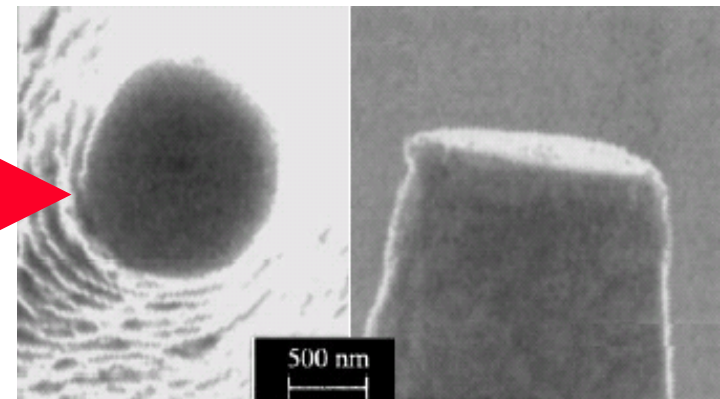
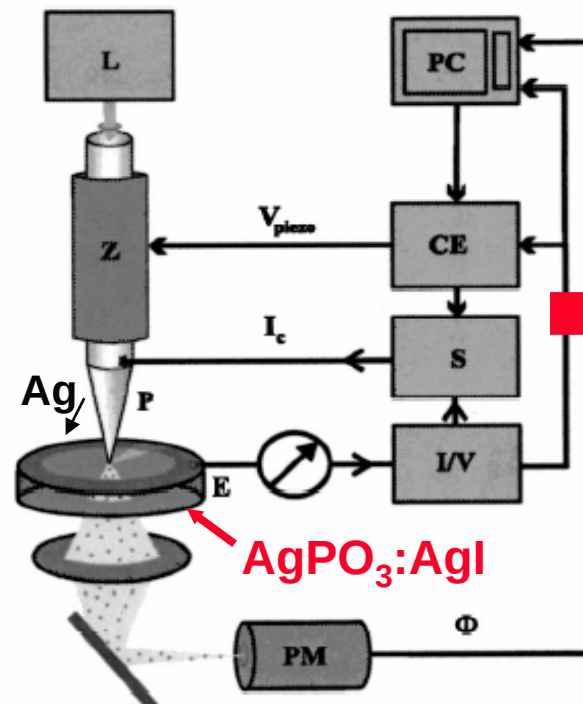
NFO probes: aperture formation

- shadowed evaporation:

$$\varnothing \leq 50 \text{ nm}$$

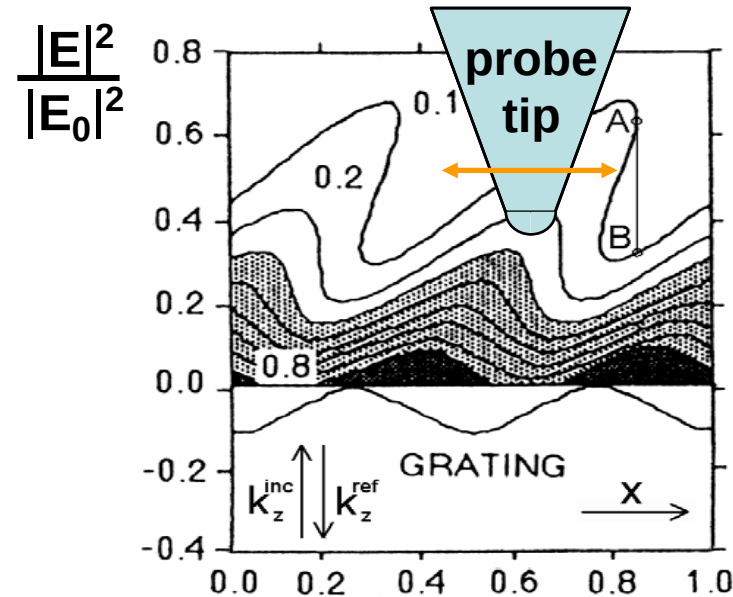


- Controlled All Solid State Electrolysis :



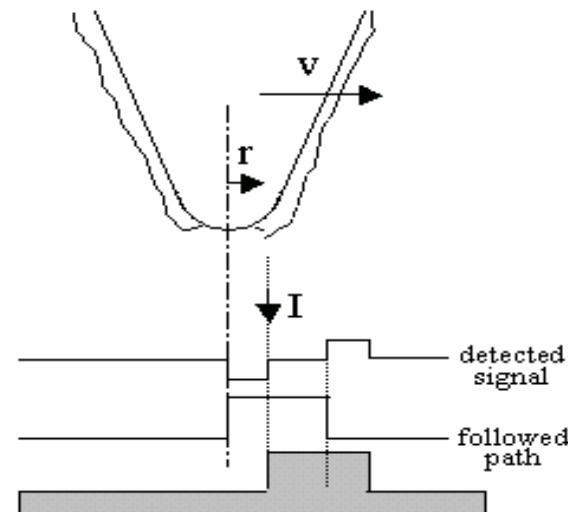
Constant Distance Mode, but :

- NFO signal
isointensity profiles
not a function, e.g.:



(longitudinal,
TE illumination)

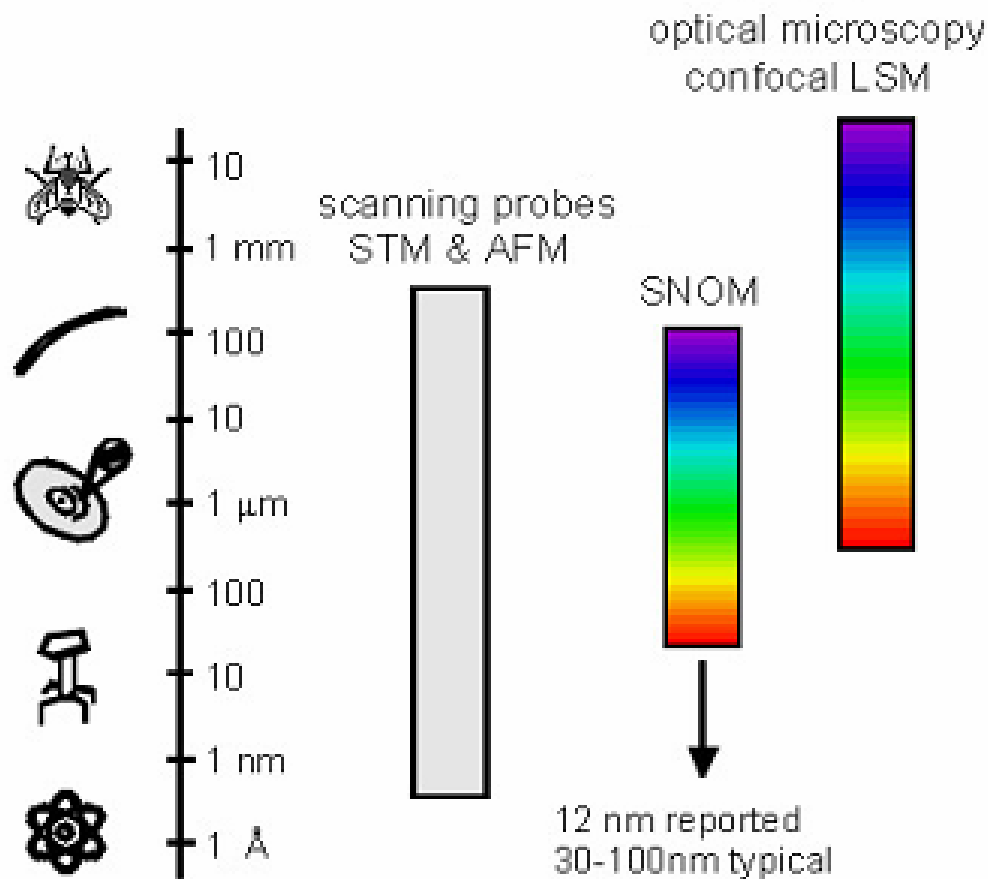
- most independent
distance signals have
off-centered tip, e.g.:



STM "crown tip"
of metal coating

NSOM: the power of light at high resolution

comparing different microscopies



contrast from:

- absorption
- reflection
- emission
- polarization

e.g. *fluorescence*:

- fluorochrome dye labeling, based on
 - pH or Mg^{2+} Ca^{2+}
 - hydrophobic/philic interactions
 - specific bonding to prot. or nucleic acids
- Stokes shift
- $\tau \leq 10$ ns

+ multi-labeling - photo-bleaching

Conclusions

- a number of microscopic techniques available today:
 - conventional optical microscopy:
user friendly but diffraction-limited (res.~200 nm)
 - electron microscopy: very high (~5 nm, SEM)
or even atomic (TEM) resolution
 - Near Field optical microscopy:
~30 nm res., and spectroscopic capabilities
- our choice will depend on what we want to “see”
 - for “force” sensing, viscoelastic properties etc.:
→ go AFM (next seminar !)
- always be aware of artifacts:
“the map is not the territory”, Alford Korzybski

